1.3 — Perfect Competition I ECON 326 • Industrial Organization • Spring 2023 Ryan Safner

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Outline

Short Run Production Concepts

Costs in the Short Run

Costs in the Long Run

<u>Revenues</u>

Recall: The Firm's Two Problems

1st Stage: firm's profit maximization problem:

1. Choose: < output >

- 2. In order to maximize: < profits >
- 2nd Stage: firm's cost minimization problem:
 - 1. Choose: < inputs >
 - 2. In order to *minimize*: < cost >
 - 3. Subject to: < producing the optimal output >
 - Minimizing costs \iff maximizing profits







• $\pi(q) = \mathbf{R}(q) - \mathbf{C}(q)$





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- Slopes must be equal:

MR(q) = MC(q)



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- Graph: find q^* to max $\pi \implies q^*$ where max distance between R(q) and C(q)
- Slopes must be equal:

MR(q) = MC(q)

• At $q^* = 5$: $\circ \ R(q) = 50$ $\circ \ C(q) = 40$ $\circ \ \pi(q) = 10$





Visualizing Profit Per Unit As MR(q) and MC(q)

• At low output $q < q^*$, can increase π by producing *more*: MR(q) > MC(q)



Visualizing Profit Per Unit As MR(q) and MC(q)

• At high output $q > q^*$, can increase π by producing *less*: MR(q) < MC(q)



Visualizing Profit Per Unit As MR(q) and MC(q)



• π is *maximized* where MR(q) = MC(q)





Comparative Statics

If Market Price Changes I

- Suppose the market price **increases**
- Firm (always setting MR=MC) will respond by producing more



If Market Price Changes II



• Firm (always setting MR=MC) will respond by **producing less**





The Firm's Supply Curve

• The firm's marginal cost curve is its supply curve[‡]

p = MC(q)

- How it will supply the optimal amount of output in response to the market price
- Firm always sets its price equal to its marginal cost

[‡] Mostly...there is an important **exception** we will see shortly!







Calculating Profit



• Profit is

$$\pi(q) = R(q) - C(q)$$



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• Profit per unit can be calculated as:

$$rac{\pi(q)}{q} = AR(q) - AC(q)$$

= $p - AC(q)$





• Profit is

$$\pi(q) = R(q) - C(q)$$

• Profit per unit can be calculated as:

$$\frac{\pi(q)}{q} = AR(q) - AC(q)$$
$$= p - AC(q)$$

• Multiply by *q* to get total profit:

$$\pi(q) = q\left[p - AC(q) \right]$$





- At market price of p* = \$10
- At q* = 5 (per unit):
- At q* = 5 (totals):



- At market price of p* = \$10
- At q* = 5 (per unit):
 - AR(5) = \$10/unit
- At q* = 5 (totals):
 - R(5) = \$50





- At market price of p* = \$10
- At q* = 5 (per unit):
 - AR(5) = \$10/unit
 AC(5) = \$7/unit
- At q* = 5 (totals):
 - R(5) = \$50
 C(5) = \$35





- At market price of p* = \$10
- At q* = 5 (per unit):
 - AR(5) = \$10/unit
 - AC(5) = \$7/unit
 - A π (5) = \$3/unit
- At q* = 5 (totals):
 - R(5) = \$50
 C(5) = \$35
 - **π** = \$15





- At market price of p* = \$2
- At q* = 1 (per unit):
- At q* = 1 (totals):





- At market price of p* = \$2
- At q* = 1 (per unit):
 - AR(1) = \$2/unit
- At q* = 1 (totals):
 - R(1) = \$2





- At market price of p* = \$2
- At q* = 1 (per unit):
 - AR(1) = \$2/unit
 AC(1) = \$10/unit
- At q* = 1 (totals):

R(1) = \$2
C(1) = \$10





- At market price of p* = \$2
- At q* = 1 (per unit):
 - AR(1) = \$2/unit
 - AC(1) = \$10/unit
 - $A\pi(1) = -\$8/unit$
- At q* = 1 (totals):
 - R(1) = \$2
 - C(1) = \$10







- What if a firm's profits at q^* are **negative** (i.e. it earns **losses**)?
- Should it produce at all?



- Suppose firm chooses to produce $\mathbf{nothing} \ (q=0)$:
- If it has **fixed costs** (f > 0), its profits are:

$$\pi(q) = pq - C(q)$$



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- If it has **fixed costs** (f > 0), its profits are:

 $egin{aligned} \pi(q) &= pq - m{C}(q) \ \pi(q) &= pq - m{f} - m{V}m{C}(q) \end{aligned}$



- Suppose firm chooses to produce $\label{eq:nothing} {\rm nothing} \ (q=0) {\rm :}$
- If it has **fixed costs** (f > 0), its profits are:

$$egin{aligned} \pi(q) &= pq - C(q) \ \pi(q) &= pq - f - VC(q) \ \pi(0) &= -f \end{aligned}$$

i.e. it (still) pays its fixed costs





• A firm should choose to produce **no output** (q = 0) only when:

 π from producing $<\pi$ from not producing

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```
\pi 	ext{ from producing } < \pi 	ext{ from not producing } \pi(q) < -f
```



• A firm should choose to produce **no output** (q = 0) only when:

 $\pi ext{ from producing } < \pi ext{ from not producing } \ \pi(q) < -f \ pq - VC(q) - f < -f$



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• A firm should choose to produce **no output** (q = 0) only when:

 $egin{aligned} \pi ext{ from not producing} & \pi(q) < -f \ pq - VC(q) - f < -f \ pq - VC(q) < 0 \ pq < VC(q) \end{aligned}$



• A firm should choose to produce **no output** (q = 0) only when:

 $egin{aligned} \pi ext{ from not producing} &< \pi ext{ from not producing} \ && \pi(q) < -f \ && pq - VC(q) - f < -f \ && pq - VC(q) < 0 \ && pq < VC(q) \ && pq < VC(q) \ && pq < VC(q) \end{aligned}$

• Shut down price: firm will shut down production in the short run when p < AVC(q)





























Firm's short run supply curve:

$$egin{cases} p = MC(q) & ext{if} \ p \geq AVC \ q = 0 & ext{If} \ p < AVC \end{cases}$$





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$$egin{cases} p = MC(q) & ext{if} \ p \geq AVC \ q = 0 & ext{If} \ p < AVC \end{cases}$$

Output, q

Summary:



- 1. Choose q^{st} such that MR(q)=MC(q)
- 2. Profit $\pi = q[p AC(q)]$
- 3. Shut down if p < AVC(q)

Firm's short run (inverse) supply:

$$egin{cases} p = MC(q) & ext{if} \ p \geq AVC \ q = 0 & ext{If} \ p < AVC \end{cases}$$