## 1.3 - Perfect Competition I

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## Outline

Short Run Production Concepts
Costs in the Short Run
Costs in the Long Run
Revenues

## Recall: The Firm's Two Problems

$1^{\text {st }}$ Stage: firm's profit maximization problem:

1. Choose: < output >
2. In order to maximize: < profits >
$2^{\text {nd }}$ Stage: firm's cost minimization problem:
3. Choose: < inputs >
4. In order to minimize: < cost >
5. Subject to: < producing the optimal output >

- Minimizing costs $\Longleftrightarrow$ maximizing profits



## Visualizing Total Profit As $R(q)-C(q)$

- $\pi(q)=R(q)-C(q)$



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## Visualizing Total Profit As $R(q)-C(q)$

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- Graph: find $q^{*}$ to $\max \pi \Longrightarrow q^{*}$ where max distance between $R(q)$ and $C(q)$



## Visualizing Total Profit As $R(q)-C(q)$

- $\pi(q)=R(q)-C(q)$
- Graph: find $q^{*}$ to $\max \pi \Longrightarrow q^{*}$ where max distance between $R(q)$ and $C(q)$
- Slopes must be equal:

$$
M R(q)=M C(q)
$$

## Visualizing Total Profit As $R(q)-C(q)$

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- Graph: find $q^{*}$ to $\max \pi \Longrightarrow q^{*}$ where max distance between $R(q)$ and $C(q)$
- Slopes must be equal:

$$
M R(q)=M C(q)
$$

- At $q^{*}=5$ :
- $R(q)=50$
- $C(q)=40$
- $\pi(q)=10$


## Visualizing Profit Per Unit As $M R(q)$ and $M C(q)$

- At low output $q<q^{*}$, can increase $\pi$ by producing more: $M R(q)>M C(q)$



## Visualizing Profit Per Unit As $M R(q)$ and $M C(q)$

- At high output $q>q^{*}$, can increase $\pi$ by producing less. $M R(q)<M C(q)$



## Visualizing Profit Per Unit As $M R(q)$ and $M C(q)$

- $\pi$ is maximized where
$M R(q)=M C(q)$



## Comparative Statics

## If Market Price Changes I

- Suppose the market price increases
- Firm (always setting MR=MC) will respond by producing more



## If Market Price Changes II

- Suppose the market price decreases
- Firm (always setting MR=MC) will respond by producing less



## The Firm's Supply Curve

- The firm's marginal cost curve is its supply curve ${ }^{\ddagger}$

$$
p=M C(q)
$$

- How it will supply the optimal amount of output in response to the market price
- Firm always sets its price equal to its marginal cost
$\ddagger$ Mostly...there is an important exception we will see shortly!



## Calculating Profit

## Calculating (Average) Profit as AR(q)-AC(q)

- Profit is

$$
\pi(q)=R(q)-C(q)
$$



## Calculating (Average) Profit as AR(q)-AC(q)

- Profit is

$$
\pi(q)=R(q)-C(q)
$$

- Profit per unit can be calculated as:

$$
\begin{aligned}
\frac{\pi(q)}{q} & =A R(q)-A C(q) \\
& =p-A C(q)
\end{aligned}
$$



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- Profit is

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$$

- Profit per unit can be calculated as:

$$
\begin{aligned}
\frac{\pi(q)}{q} & =A R(q)-A C(q) \\
& =p-A C(q)
\end{aligned}
$$

- Multiply by $q$ to get total profit:

$$
\pi(q)=q[p-A C(q)]
$$



## Calculating (Average) Profit as AR(q)-AC(q)

- At market price of $p^{*}=\$ 10$
- At $q^{*}=5$ (per unit):
- At $q^{*}=5$ (totals):



## Calculating (Average) Profit as AR(q)-AC(q)

- At market price of $\mathrm{p}^{*}=\$ 10$
- At $q^{*}=5$ (per unit):
- $\operatorname{AR}(5)=\$ 10 /$ unit
- At q* $=5$ (totals):
- $R(5)=\$ 50$



## Calculating (Average) Profit as AR(q)-AC(q)

- At market price of $\mathrm{p}^{*}=\$ 10$
- At $q^{*}=5$ (per unit):
- $\operatorname{AR}(5)=\$ 10 /$ unit
- $\operatorname{AC}(5)=\$ 7 /$ unit
- At q* $=5$ (totals):
- $R(5)=\$ 50$
- $C(5)=\$ 35$



## Calculating (Average) Profit as AR(q)-AC(q)

- At market price of $\mathrm{p}^{*}=\$ 10$
- At $q^{*}=5$ (per unit):
- $\operatorname{AR}(5)=\$ 10 /$ unit
- $\operatorname{AC}(5)=\$ 7 /$ unit
- $A \pi(5)=\$ 3 /$ unit
- At $q^{*}=5$ (totals):
- $R(5)=\$ 50$
- $C(5)=\$ 35$
- $\pi=\$ 15$



## Calculating (Average) Profit as AR(q)-AC(q)

- At market price of $p^{*}=\$ 2$
- At $q^{*}=1$ (per unit):
- At $q^{*}=1$ (totals):



## Calculating (Average) Profit as AR(q)-AC(q)

- At market price of $\mathrm{p}^{*}=\$ 2$
- At $q^{*}=1$ (per unit):
- $\operatorname{AR}(1)=\$ 2 /$ unit
- At $q^{*}=1$ (totals):
- $R(1)=\$ 2$



## Calculating (Average) Profit as AR(q)-AC(q)

- At market price of $\mathrm{p}^{*}=\$ 2$
- At $q^{*}=1$ (per unit):
- $\operatorname{AR}(1)=\$ 2 /$ unit
- $\operatorname{AC}(1)=\$ 10 /$ unit
- At $q^{*}=1$ (totals):
- $R(1)=\$ 2$
- $C(1)=\$ 10$



## Calculating (Average) Profit as AR(q)-AC(q)

- At market price of $\mathrm{p}^{*}=\$ 2$
- At $q^{*}=1$ (per unit):
- $\operatorname{AR}(1)=\$ 2 /$ unit
- $\operatorname{AC}(1)=\$ 10 /$ unit
- $A \pi(1)=-\$ 8 / u n i t$
- At $q^{*}=1$ (totals):
- $R(1)=\$ 2$
- $C(1)=\$ 10$
- $\pi(1)=-\$ 8$



## Short-Run Shut-Down Decisions

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- What if a firm's profits at $q^{*}$ are negative (i.e. it earns losses)?
- Should it produce at all?



## Short-Run Shut-Down Decisions

- Suppose firm chooses to produce nothing $(q=0)$ :
- If it has fixed costs $(f>0)$, its profits are:

$$
\pi(q)=p q-C(q)
$$



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& \pi(q)=p q-f-V C(q)
\end{aligned}
$$



## Short-Run Shut-Down Decisions

- Suppose firm chooses to produce nothing $(q=0)$ :
- If it has fixed costs $(f>0)$, its profits are:

$$
\begin{aligned}
& \pi(q)=p q-C(q) \\
& \pi(q)=p q-f-V C(q) \\
& \pi(0)=-f
\end{aligned}
$$

i.e. it (still) pays its fixed costs

## Short-Run Shut-Down Decisions

- A firm should choose to produce no output $(q=0)$ only when:
$\pi$ from producing $<\pi$ from not producing


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$$
\pi(q)<-f
$$

## Short-Run Shut-Down Decisions

- A firm should choose to produce no output $(q=0)$ only when:
$\pi$ from producing $<\pi$ from not producing

$$
\begin{array}{r}
\pi(q)<-f \\
p q-V C(q)-f<-f
\end{array}
$$

## Short-Run Shut-Down Decisions

- A firm should choose to produce no output $(q=0)$ only when:
$\pi$ from producing $<\pi$ from not producing

$$
\begin{aligned}
\pi(q) & <-f \\
p q-V C(q)-f & <-f \\
p q-V C(q) & <0
\end{aligned}
$$

## Short-Run Shut-Down Decisions

- A firm should choose to produce no output $(q=0)$ only when:
$\pi$ from producing $<\pi$ from not producing

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\pi(q) & <-f \\
p q-V C(q)-f & <-f \\
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p q & <V C(q)
\end{aligned}
$$

## Short-Run Shut-Down Decisions

- A firm should choose to produce no output $(q=0)$ only when:
$\pi$ from producing $<\pi$ from not producing

$$
\begin{aligned}
\pi(q) & <-f \\
p q-V C(q)-f & <-f \\
p q-V C(q) & <0 \\
p q & <V C(q) \\
p & <A V C(q)
\end{aligned}
$$



- Shut down price: firm will shut down production in the short run when

$$
p<A V C(q)
$$

The Firm's Short Run Supply Decision

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Firm's short run supply curve:

$$
\begin{cases}p=M C(q) & \text { if } p \geq A V C \\ q=0 & \text { If } p<A V C\end{cases}
$$

## The Firm's Short Run Supply Decision



Firm's short run supply curve:

$$
\begin{cases}p=M C(q) & \text { if } p \geq A V C \\ q=0 & \text { If } p<A V C\end{cases}
$$

## Summary:

1. Choose $q^{*}$ such that $M R(q)=M C(q)$
2. Profit $\pi=q[p-A C(q)]$
3. Shut down if $p<A V C(q)$

Firm's short run (inverse) supply:

$$
\begin{cases}p=M C(q) & \text { if } p \geq A V C \\ q=0 & \text { If } p<A V C\end{cases}
$$

